

Lecture 14: Clock Synthesis

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Today's Lecture

- Clock Metrics
- Local vs Global Clock Skew
- Common Path Pessimism Removal (CPPR)
- Types of Clocks
 - H-Tree
 - Balanced tree (DME)
 - Grid



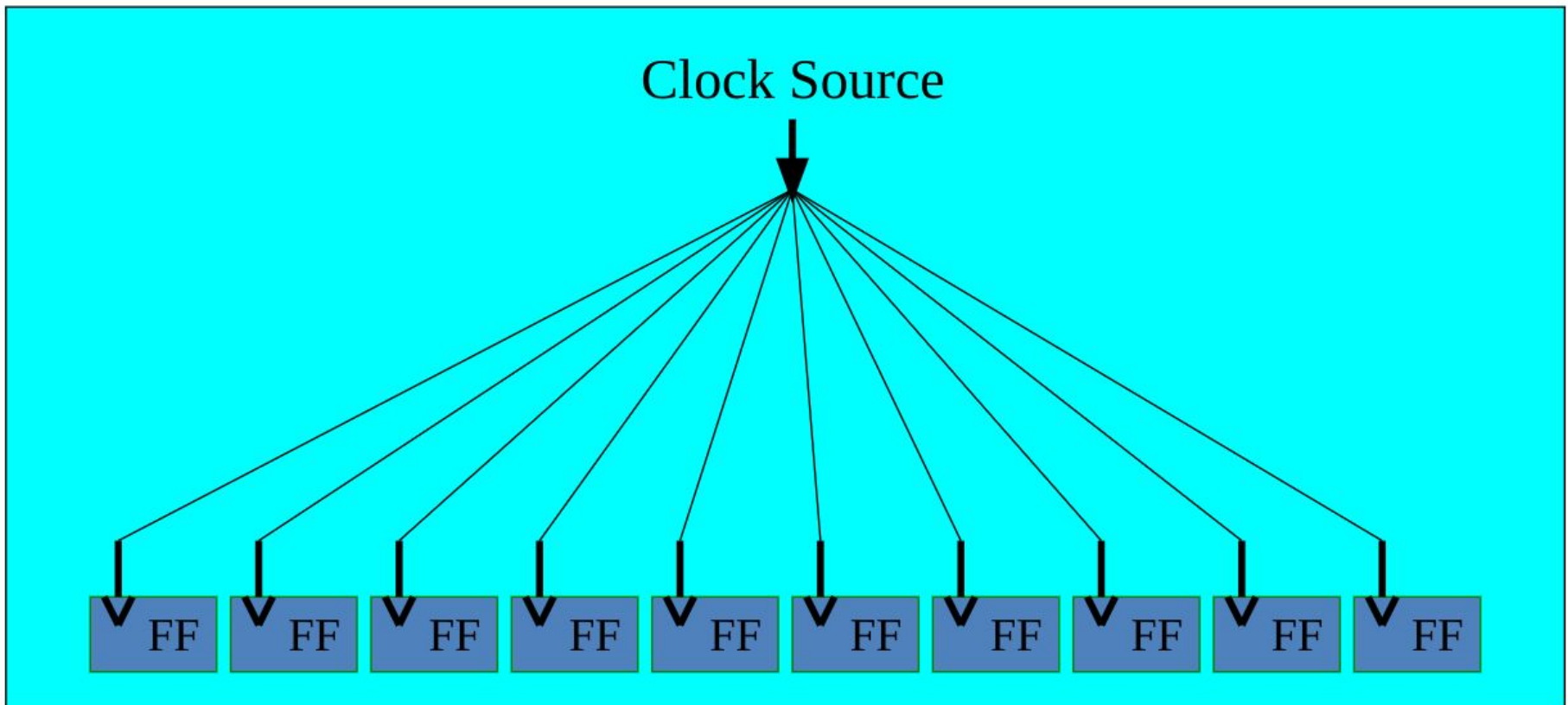
Routing of Clock and Power Nets

- Different from other **signal** nets, clock and power are **special** routing problems
 - For clock nets, need to consider *clock skew* as well as delay.
 - For power nets, need to consider *current density* (IR drop)
 - => specialized routers for these nets.
- Automatic tools for ASICs
- Often manually routed and optimized for microprocessors, with help from automatic tools



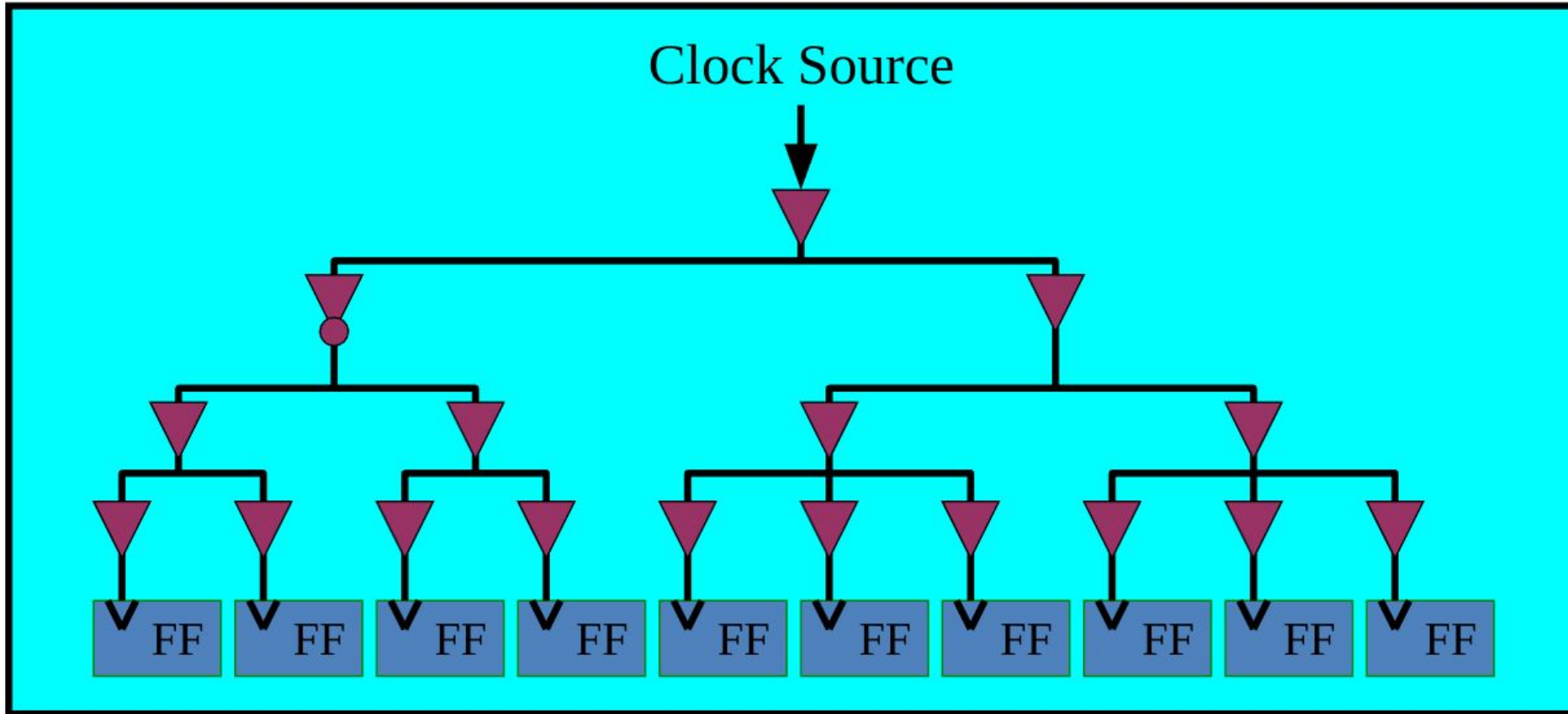
Clock trees

- A path from the clock source to clock sinks



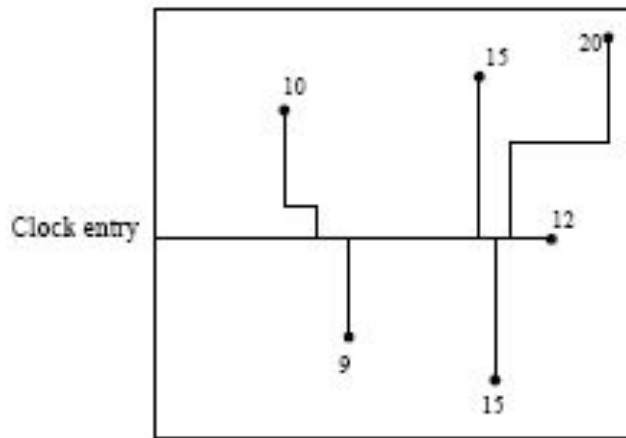
Clock trees

- A path from the clock source to clock sinks

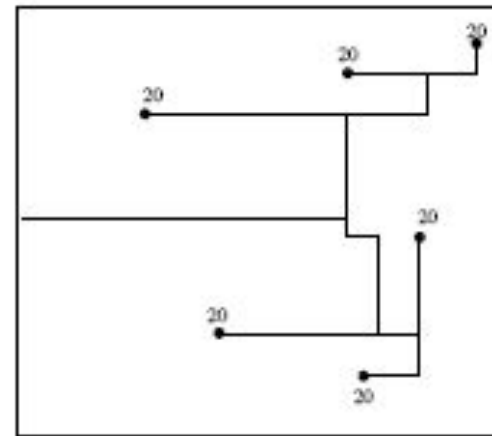


Global Clock Skew

- Clock skew is the maximum difference in the arrival time of a clock signal at any two different components.
- Easy to compute and you can ignore STA
 - Find minimum and maximum delay to clock sinks, subtract



Clock skew = $20 - 9 = 11$ units



Clock skew = 0



Local Clock Skew

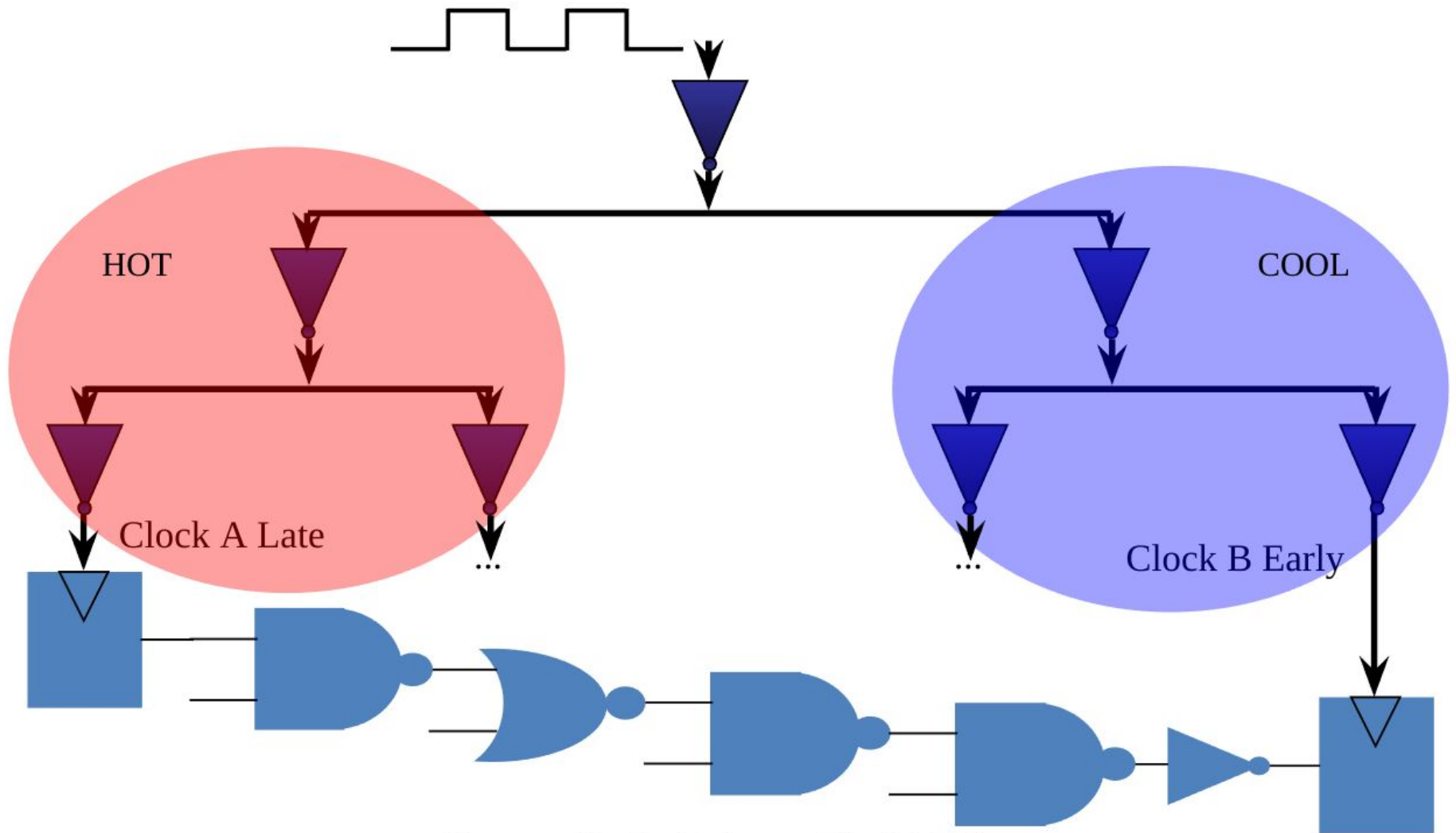
- For synchronized designs, data transfer between functional elements are synchronized by clock signals
- Clock period equation iff connected by a logic path:

$$\text{clock period} \geq t_d + t_{skew} + t_{su} + t_{ds}$$

- No path? False paths? Common path pessimism?

t_d : Longest path through combinational logic
 t_{skew} : Clock skew
 t_{su} : Setup time of the synchronizing elements
 t_{ds} : Propagation delay within the synchronizing element

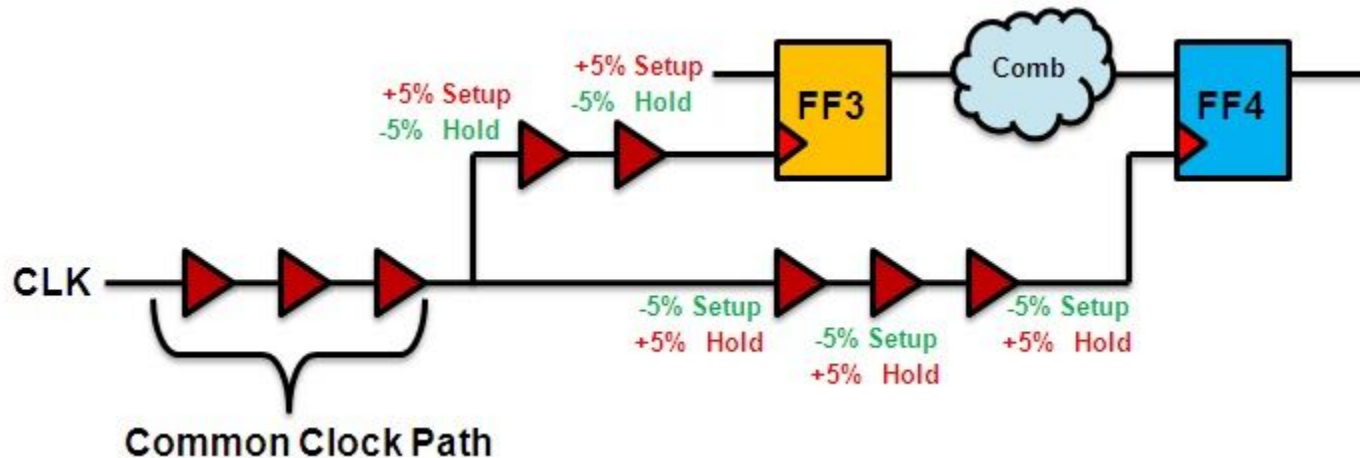
Local Clock Skew



$$\text{Skew} = \text{Clock A Time} - \text{Clock B Time}$$

Common Path Pessimism Removal (CPPR)

- A.K.A. Clock Reconvergence Pessimism Removal (CRPR)
- Deals with on-chip variation and “derating factors”
- Shared portion of clock can’t be both sl

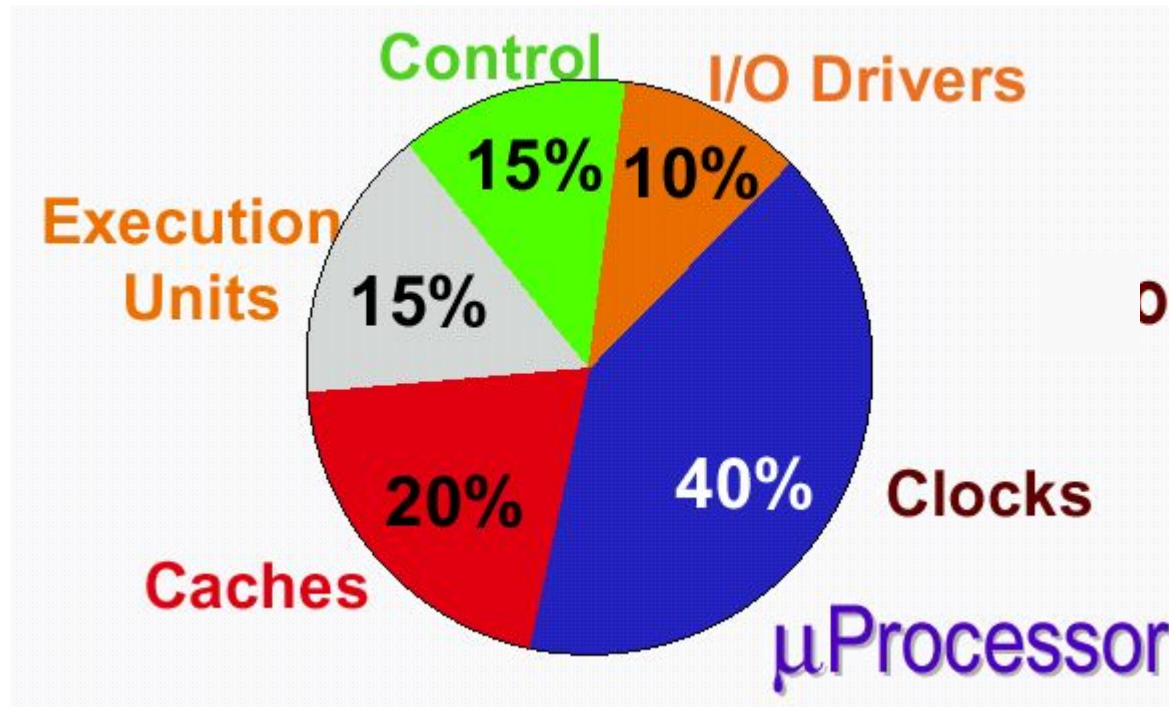


Technology Trends: Power

- Heavily pipelined designs → more latches, more capacitive load for clock
- Larger chips → more wirelength needed to cover the entire die
- Complexity → more functionality and devices means more clocked elements
- Dynamic logic → more clocked elements



Clocks: Power-Hungry



$$P = \alpha C V_{dd}^2 f$$

Not only is the clock capacitance large, it switches every cycle!

Clock Distribution Metric: Area

- Clock networks consume silicon area (clock drivers, PLL, etc.) and routing area
- Routing area is most vital
- Top-level metals are used to reduce RC delays
 - These levels are precious resources (unscaled)
 - Power routing, clock routing, key global signals
- By minimizing area used, we also reduce wiring capacitance & power
- Typical #'s: Intel Itanium – 4% of M4/5 used in clock routing



Clock Distribution Metric: Slew Rates

- To maintain signal integrity and latch performance, minimum slew rates are required
- Too slow – clock is more susceptible to noise, latches are slowed down, eats into timing budget
- Too fast – burning too much power, oversized network, enhanced ground bounce
- Rule-of-thumb: T_{rise} and T_{fall} of clock are each between 10-20% of clock period (10% - aggressive target)
 - 1 GHz clock; $T_{rise} = T_{fall} = 100\text{-}200\text{ps}$

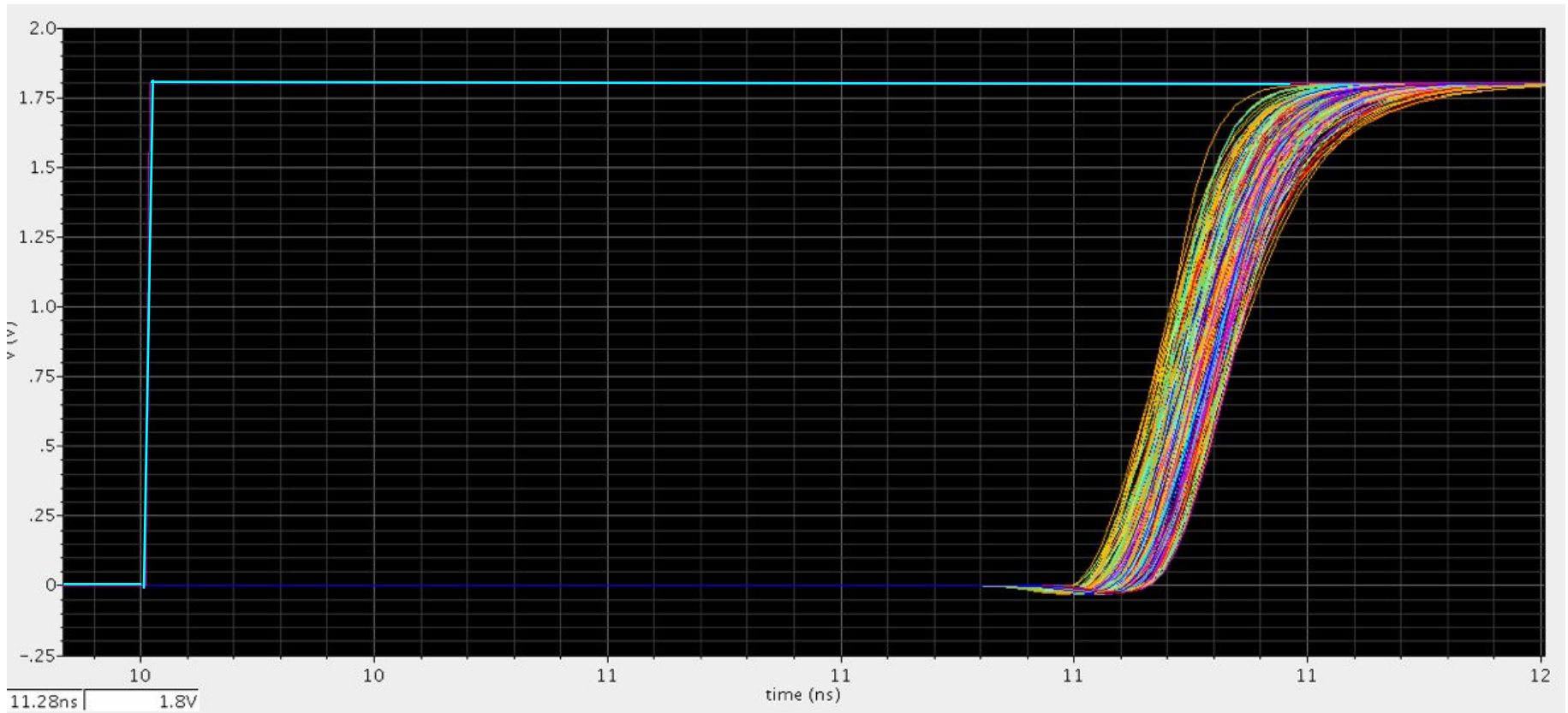


Clock Distribution Metric: Insertion Delay

- The delay from the root of the tree to the leaves (sinks)
 - More insertion delay usually means more power because more levels
- What does insertion delay do to variation?
 - Global variation?
 - Local variation?



Skew vs Insertion Delay



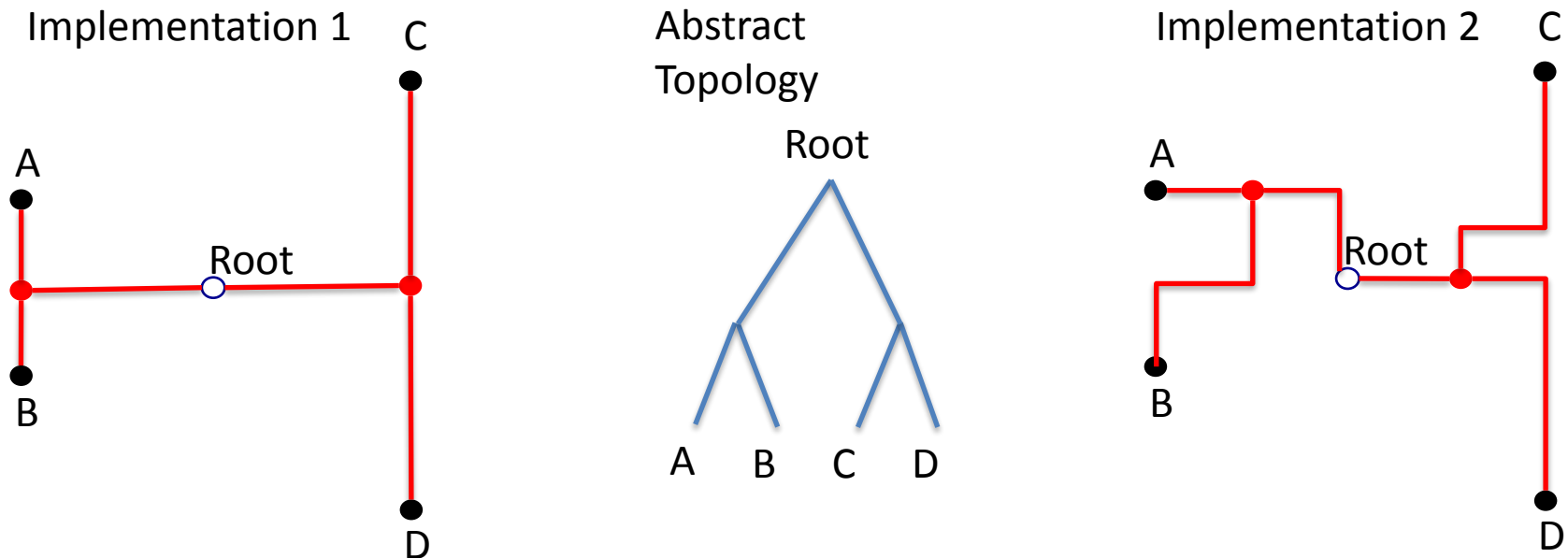
The Clock Routing Problem

- Clock signals are generated externally (e.g., by PLL)
- Given a source and n sinks.
- Connect all sinks to the source by an interconnect network (tree or non-tree) so as to minimize:
 - Clock Skew = $\max_{i,j} |t_i - t_j|$
 - Delay = $\max_i t_i$
 - Power
 - Slew variation
 - Total wirelength
 - Noise and coupling effects
 - Etc



Tree Topology

- Tree topology is merging order of tree
 - Found by clustering or partitioning
- Does not represent actual wires

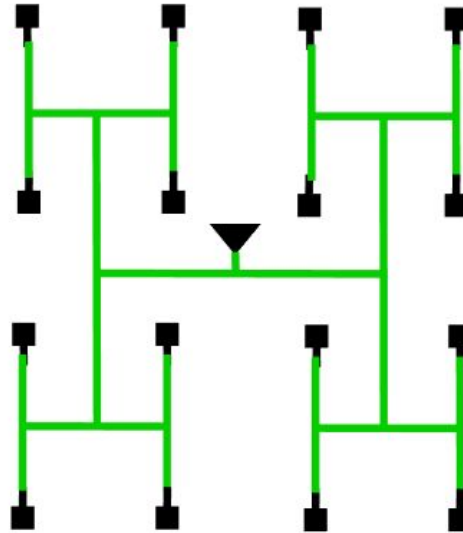


Clock Design Considerations

- Clock signal is global in nature, so clock nets are usually very big
 - Significant interconnect capacitance and resistance
- So what are the techniques?
 - Routing
 - Clock tree versus clock mesh (non-tree or grid)
 - Balance skew and total wire length
 - Buffer insertion
 - Clock buffers to reduce clock skew, delay, and distortion in waveform.
 - Wire sizing
 - To further tune the clock tree/mesh

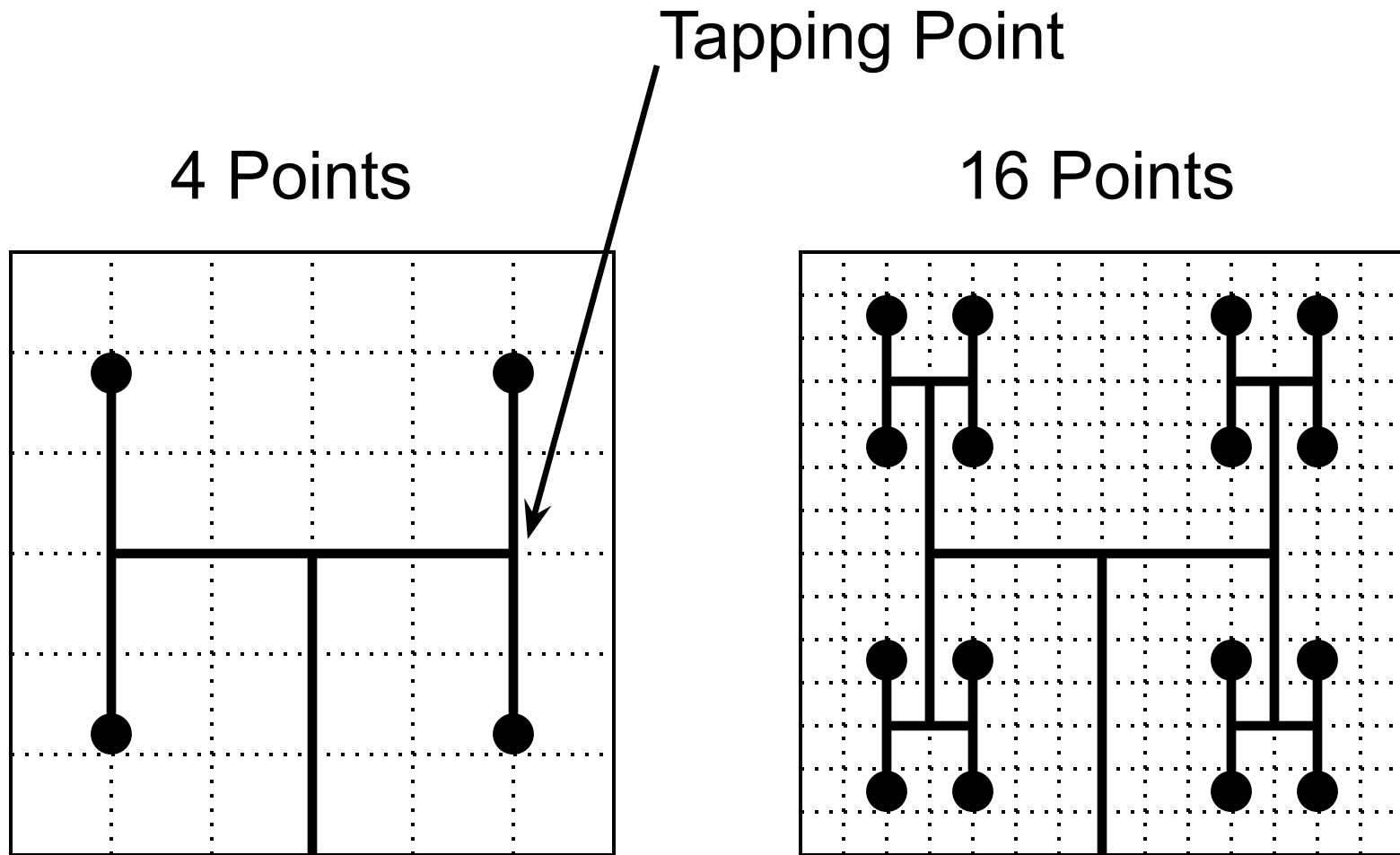


H-Trees



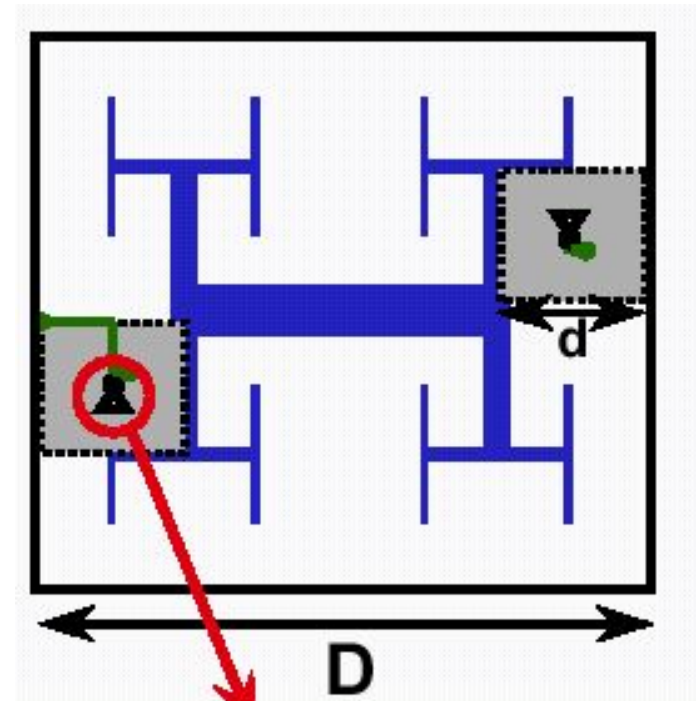
- Uniform (H-Tree)
 - Fairly robust, symmetric
 - Recursive formulation
 - Not minimal wirelength/power

H-Tree Clock Routing



Original H-tree (Bakoglu)

- One large central driver
- Recursive H-style structure to match wirelengths
- Halve wire width at branching points to reduce reflections



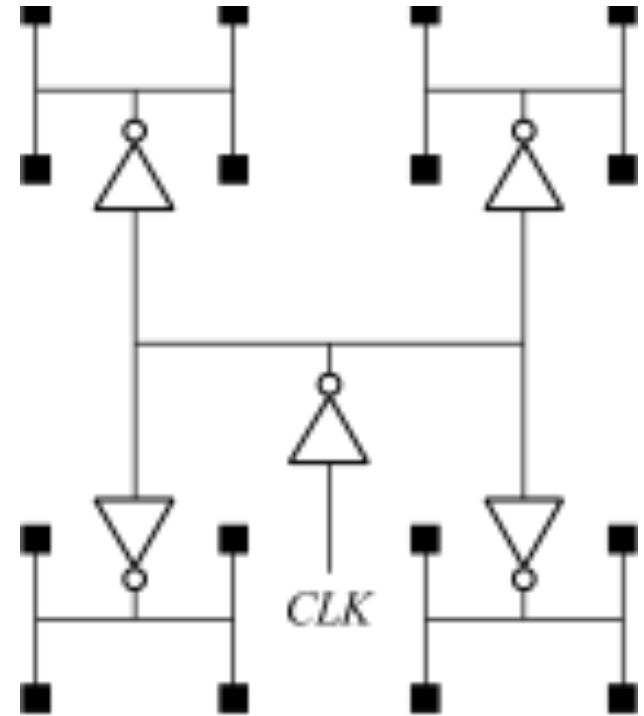
H-Tree Problems

- Drawback to original tree concept
 - Slew degradation along long RC paths
 - Unrealistically large central driver
 - Non-uniform load distribution
- Inherently non-scalable (wire resistance skyrockets)
- Solution to some problems
 - Introduce intermediate buffers along the way
 - Specifically at branching points



Buffered H-tree

- Advantages
 - Ideally zero-skew
 - Can be low power (depending on skew requirements)
 - Low area (silicon and wiring)
 - CAD tool friendly (regular)
- Disadvantages
 - Sensitive to process variations
 - Local clocking loads are inherently non-uniform
 - Clock sinks are not really uniform!

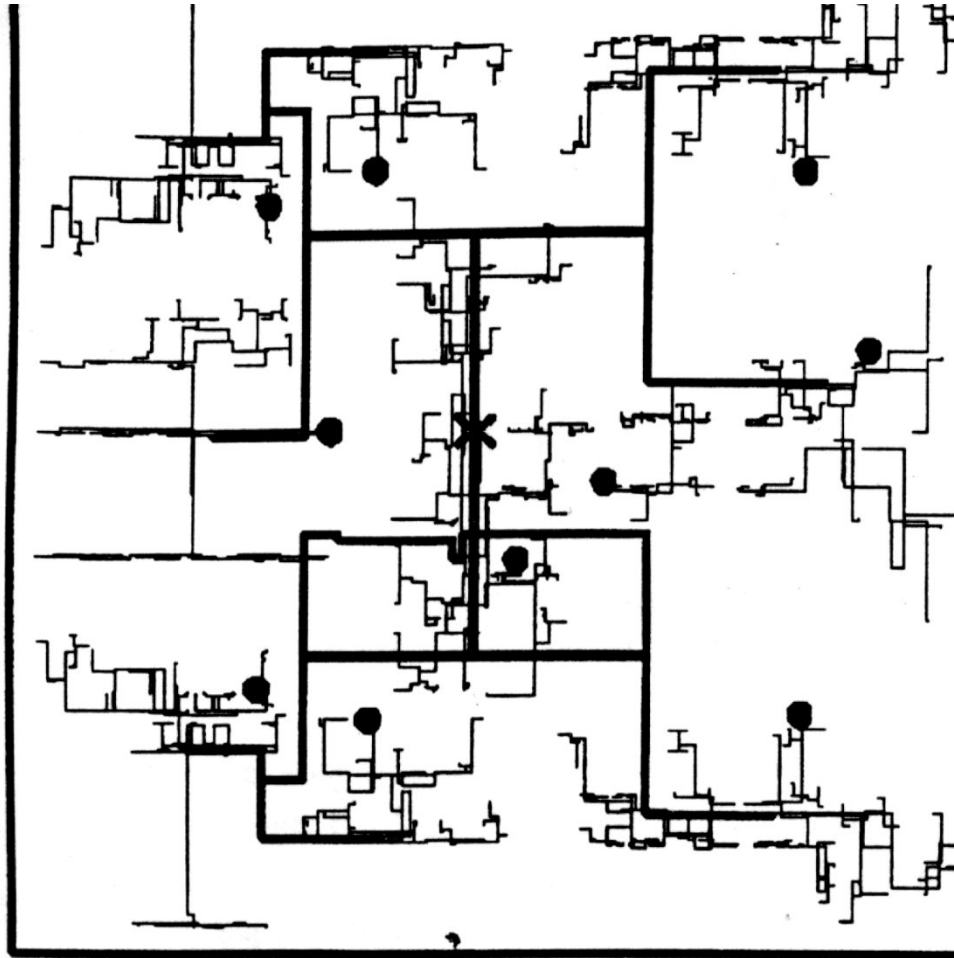


H-tree Algorithm

- Minimize skew by making interconnections to subunits equal in length
 - Regular pattern
 - The skew is 0 assuming delay is directly proportional to wirelength
 - Is this always the case?
- Can be used when terminals are evenly distributed
 - However, this is never the case in practice (due to blockage, and so on)
 - So strict (pure) H-trees are rarely used
 - However, still popular for top-level clock network design
 - Cons: too costly to be used everywhere



Realistic H-tree

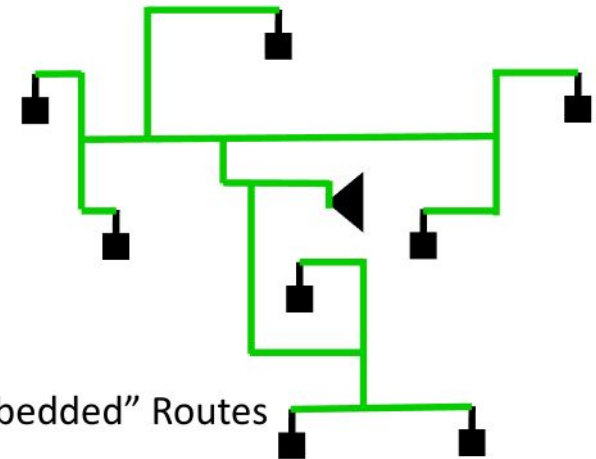
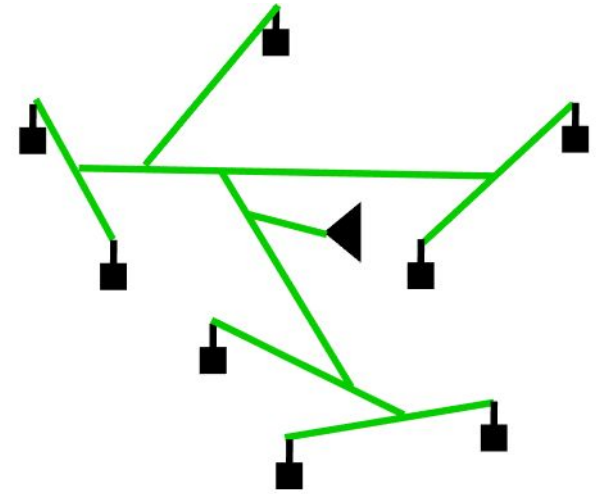


[Restle98]



Balanced Trees

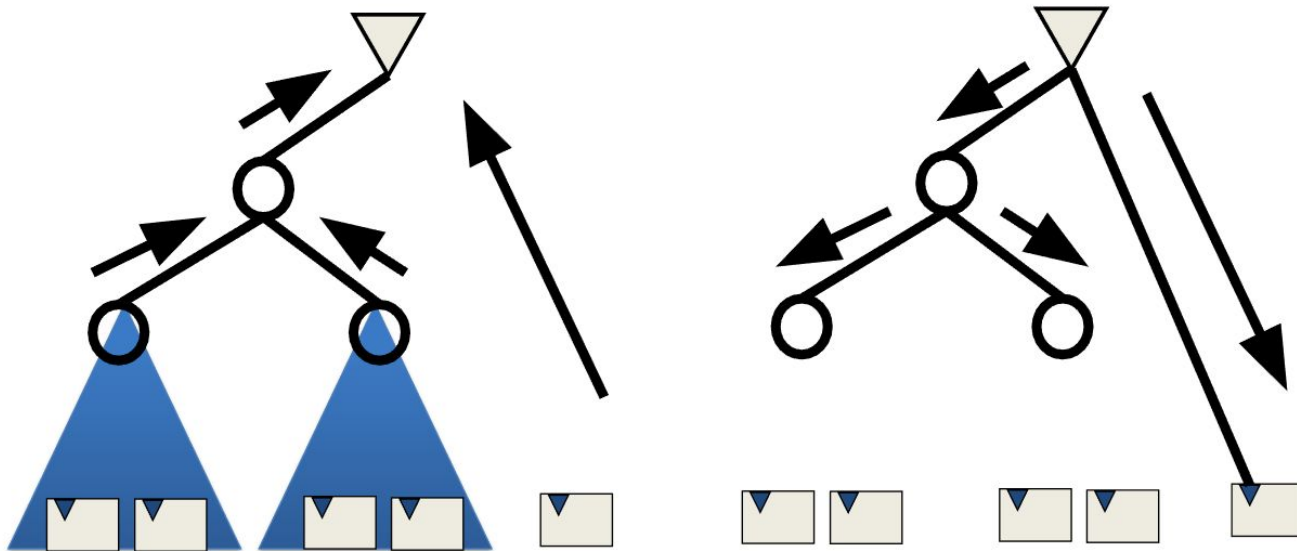
- Advantages
 - Minimum wire length (Very power efficient)
 - Very low nominal skew
 - Can do useful skew!
- Disadvantages
 - Sensitive to process parameters
 - Difficult to deal with blockages



"Embedded" Routes

Top-Down vs. Bottom-Up

- Bottom-Up can use local skew because it knows paths
- Top-Down has a global physical view so knows wire lengths and locations of tree roots above it



Zero Skew Algorithms

- Independently proposed by several groups
 - Edahiro, NEC Res Dev, 1991
 - Chao et al, DAC'92
 - Boese and Kahng, ASIC'92
- Use Elmore delay to compute delay
- Guarantees zero skew
 - Can easily be extended for zero skew or bounded skew
- Minimizes wire length, but not done very well
 - Lots of follow up works to minimize total wire length while maintaining zero skew
 - DME and its extensions



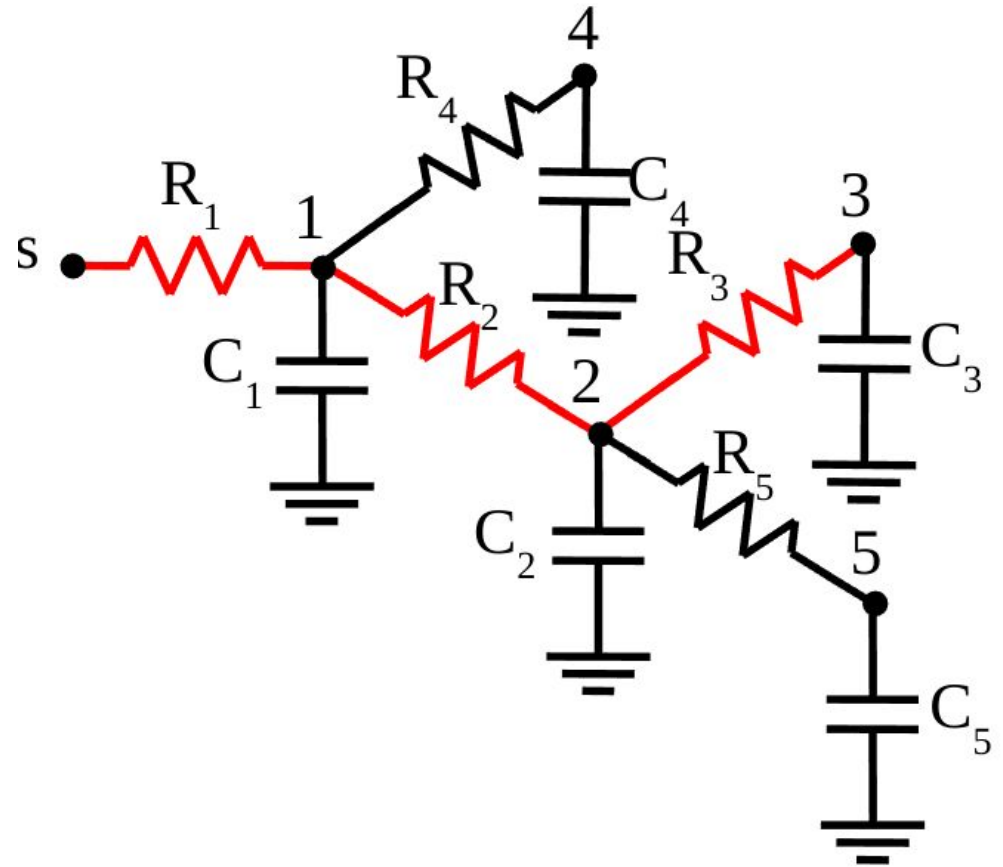
Deferred Merge Embedding

- As its name implies, DME defers the merging as late as possible, to make sure minimal wire length cost for merging
- DME needs an abstract routing topology as the input
- It has a bottom-up phase followed by a top-down process (sound familiar?)



Skew Calculation

- Elmore delay is not accurate, but high fidelity.
- Fast for optimization.
- How to model slew?



$$\text{Skew} = \max_{i \in (3,4,5)} \tau_i - \min_{i \in (3,4,5)} \tau_i$$

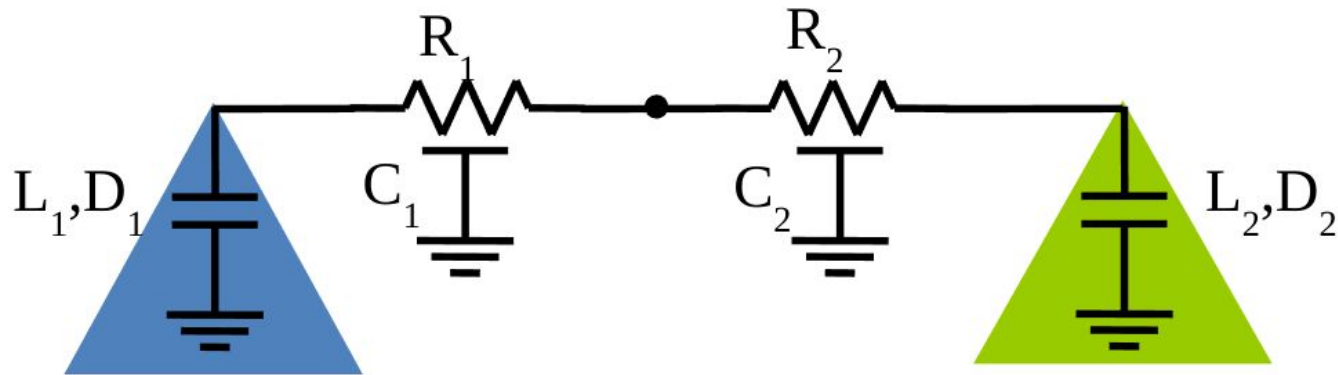
[Elmore, J. App. Physics 1948]

Zero-Skew Step

- Divide distance (D) to equalize Elmore delay
- Assume wires have equal unit R and C
- One equation, one unknown (x)
- Extra wire jogs may be needed

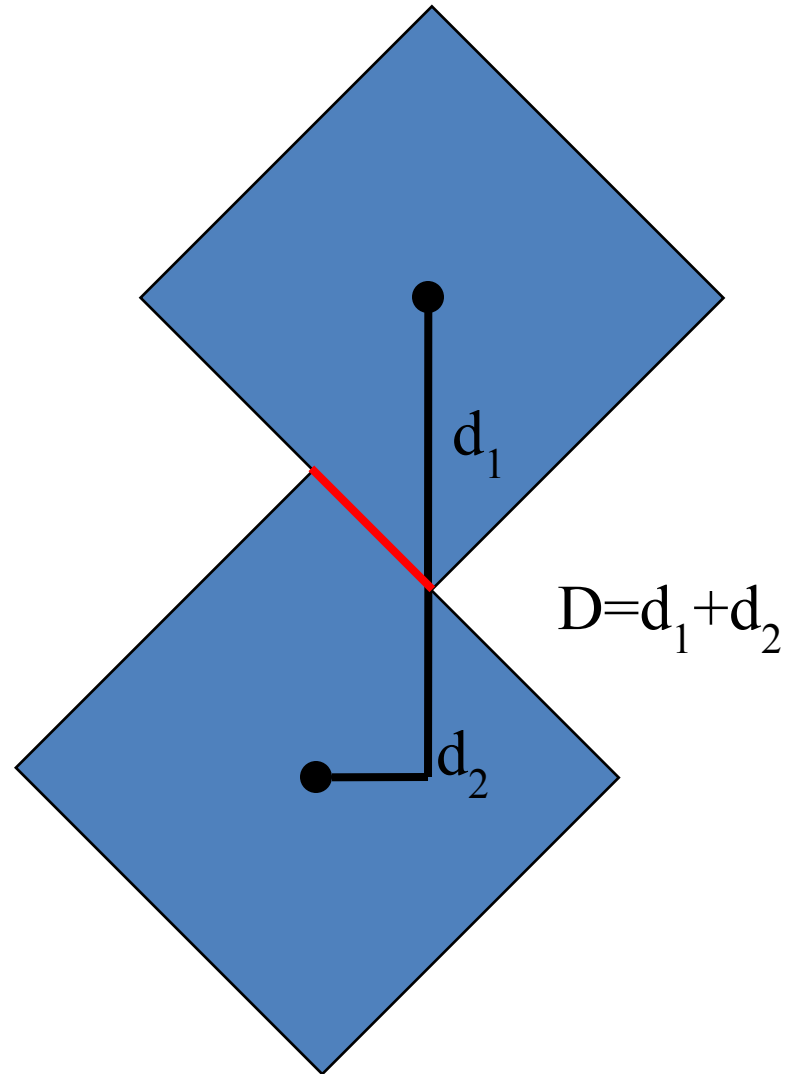
$$R_1(C_1/2+L_1)+D_1=R_2(C_2/2+L_2)+D_2$$

$$D=d_1+d_2 \rightarrow \begin{matrix} d_1=xD \\ d_2=(1-x)D \end{matrix} \rightarrow \begin{matrix} R_1=Rd_1 & R_2=Rd_2 \\ C_1=Cd_1 & C_2=Cd_2 \end{matrix} \rightarrow x?$$

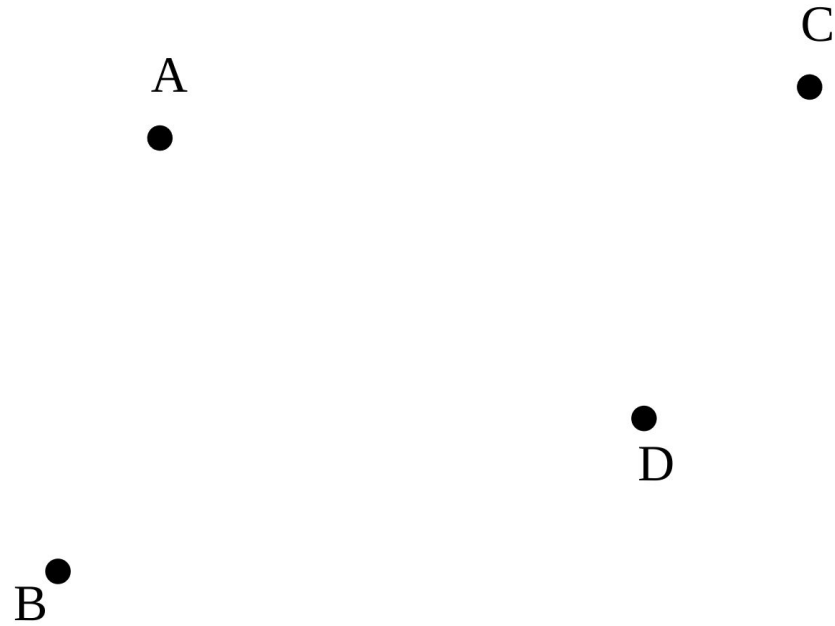


Deferred Merge Embedding

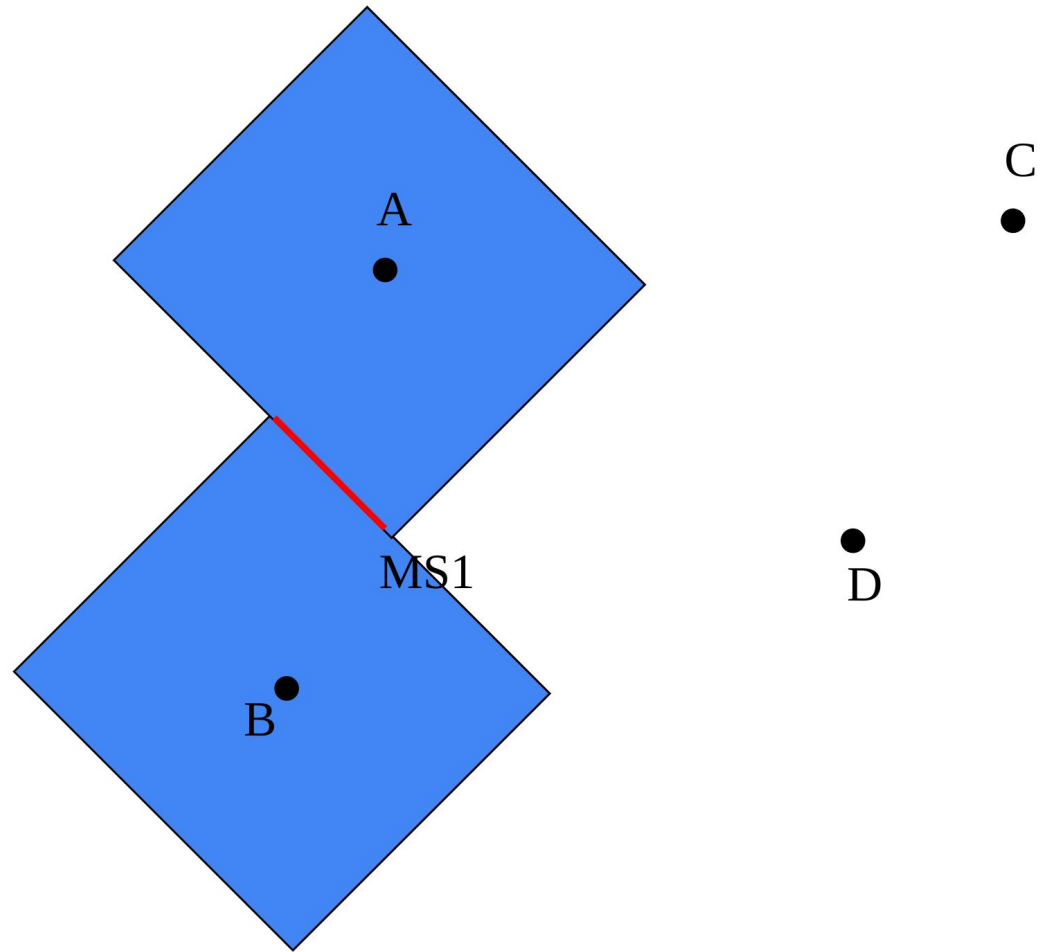
- Topology is fixed
- Equidistant points from a point or segment form a diamond
- Intersection of two diamonds is a Manhattan arc (+1 or -1 slope line)
- Set of zero skew points form a Merging Segment (MS)



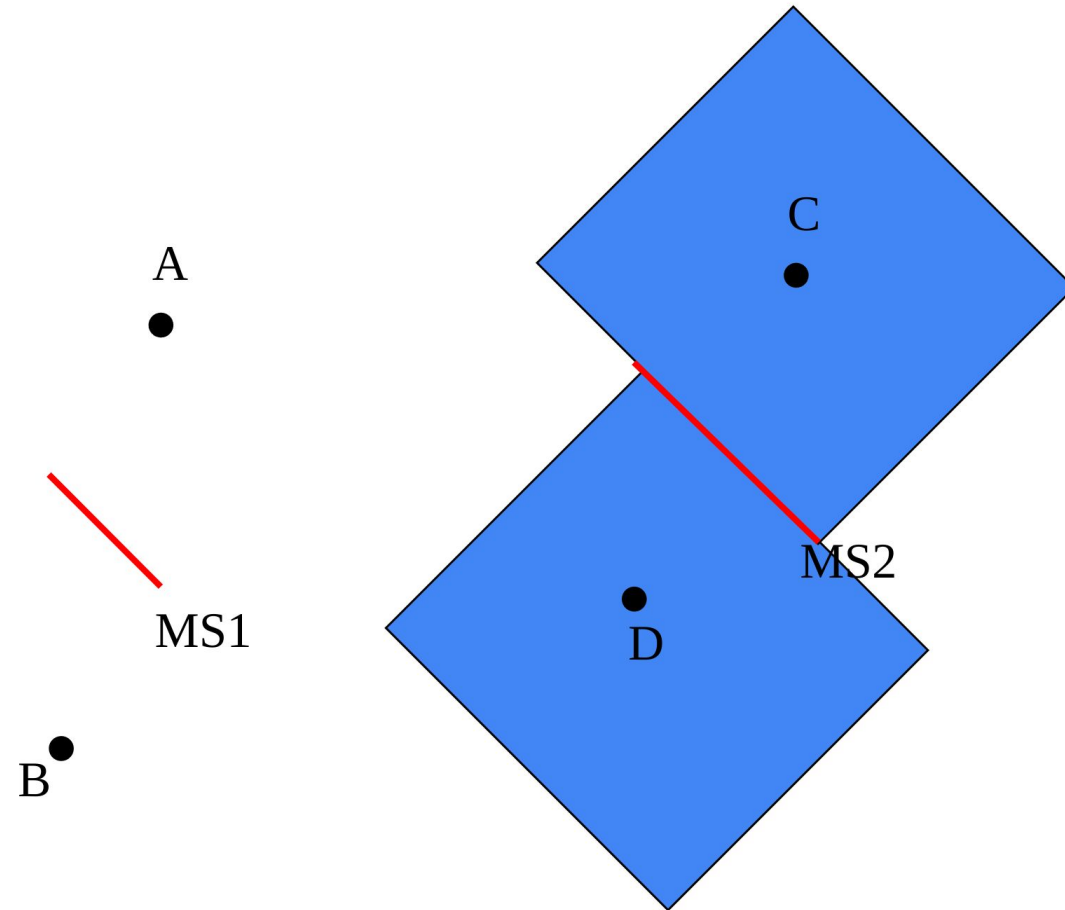
DME Bottom Up



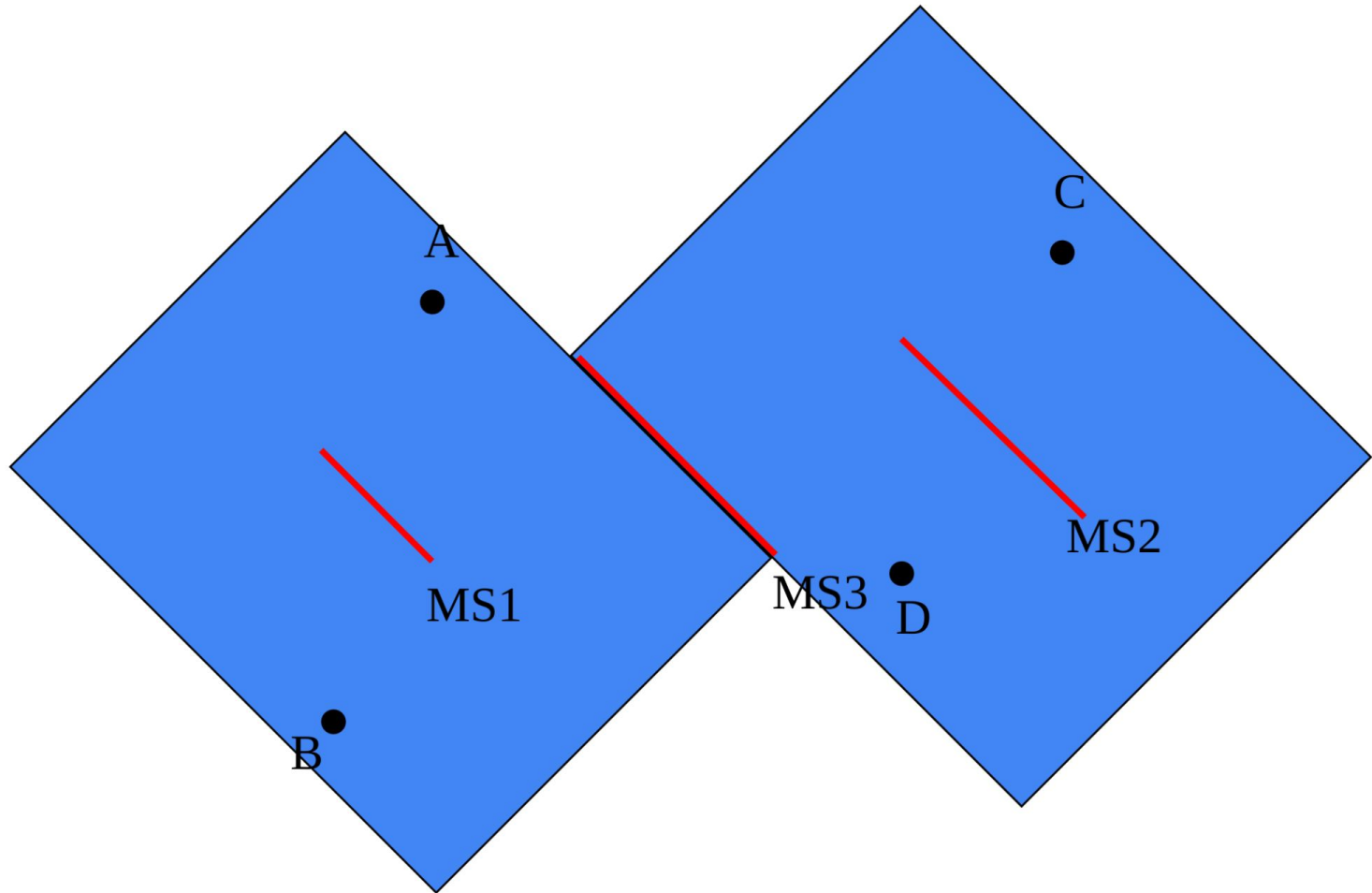
DME Bottom Up



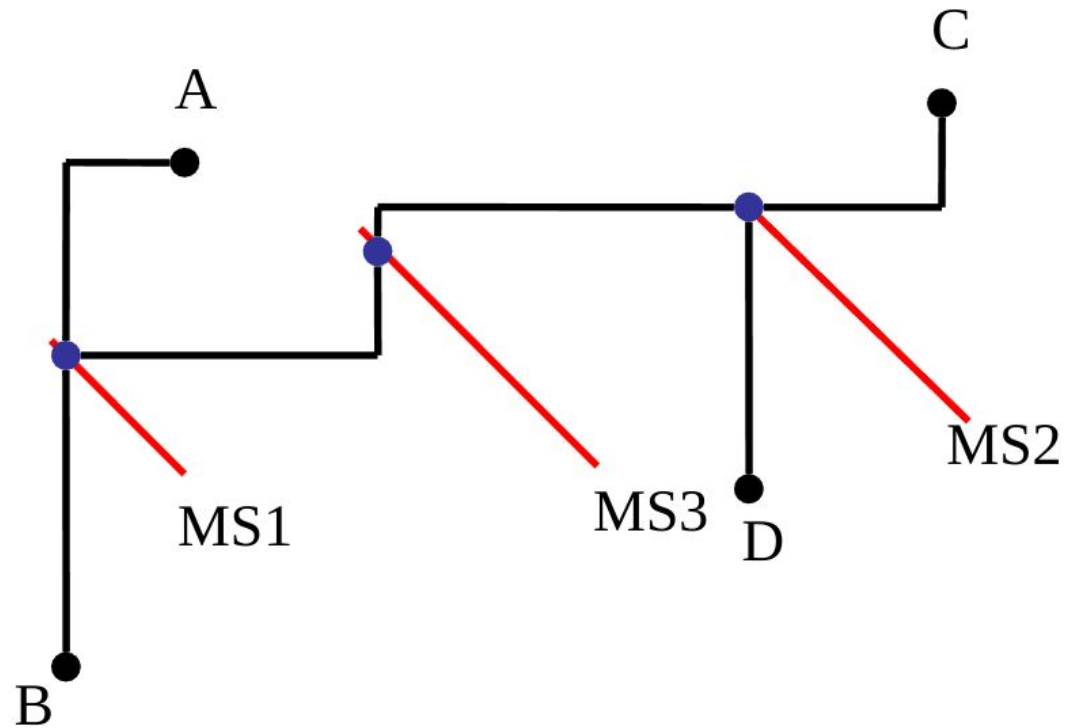
DME Bottom Up



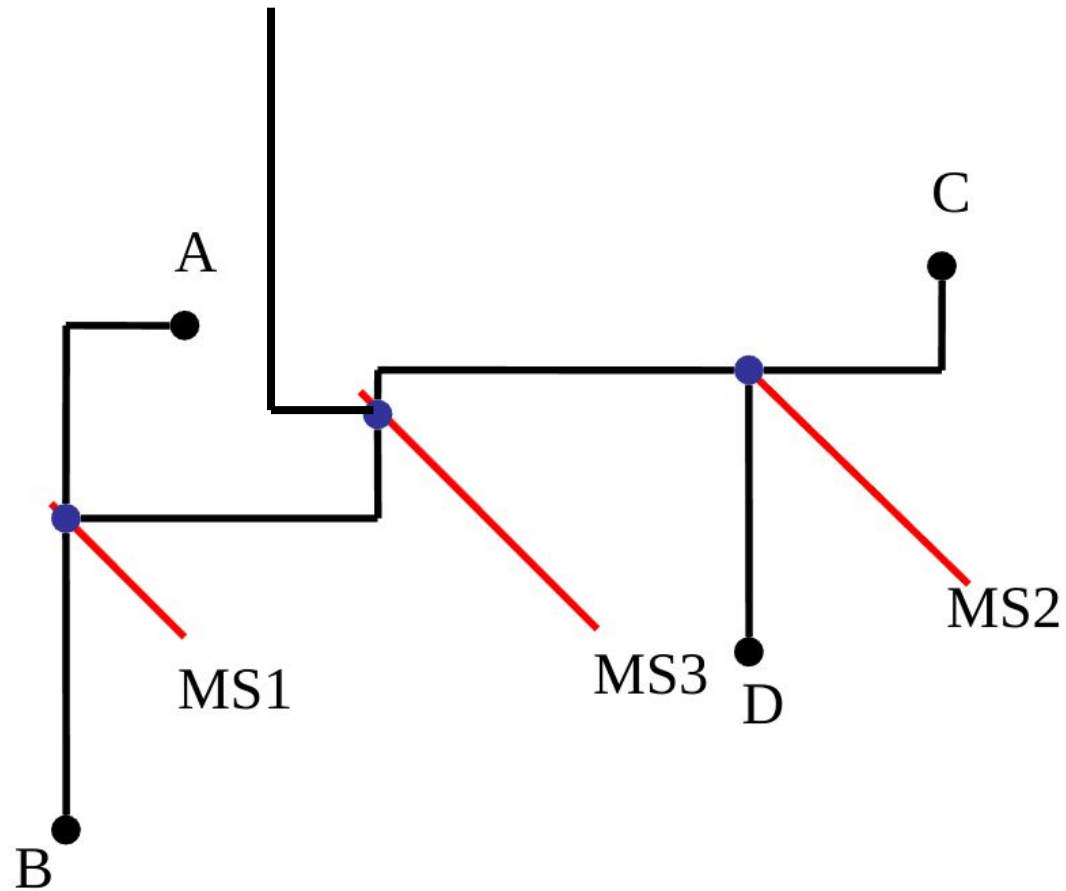
DME Bottom Up



DME Top-Down



Root Location Doesn't matter

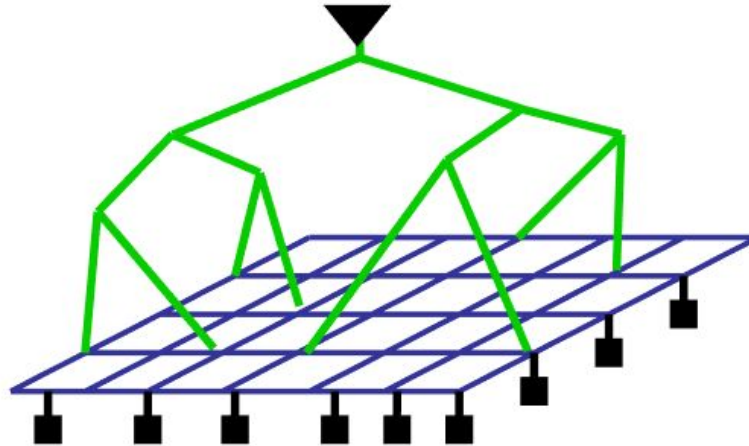


What about buffers?

- Buffers in DME trees can be considered during zero skew calculation.
 - Use output capacitance limit while merging up
 - Add uniform levels and size after routing the tree
- How to legalize the buffer placement?
 - Moving the buffer will change the wires



Non-Trees: Meshes (Grids)



- Grids [Anderson et al ISSCC'06, Golden et al ISSCC'06]
 - Used by IBM (Power4) and AMD (Hammer)
 - Low variation, but huge power overhead
- In Power4, clock network consumes 70% of total power!

Next Lecture

- SRAM/DRAM video

